

AP[®] COMPUTER SCIENCE A GENERAL SCORING GUIDELINES

Apply the question assessment rubric first, which always takes precedence. Penalty points can only be deducted in a part of the question that has earned credit via the question rubric. No part of a question (a, b, c) may have a negative point total. A given penalty can be assessed only once for a question, even if it occurs multiple times, or in multiple parts of that question. A maximum of 3 penalty points may be assessed per question.

1-Point Penalty

- (w) Extraneous code that causes side effect (e.g., printing to output, incorrect precondition check)
- (x) Local variables used but none declared
- (y) Destruction of persistent data (e.g., changing value referenced by parameter)

Mr Lee's 1-Point Penalty:

- Inefficient, “long winded” or “messy” difficult to understand code which takes longer to write than standard more efficient solutions.
 - In an exam you need to save time by writing quickly hand writable efficient code which is easy for AP readers to understand.

No Penalty

- Extraneous code with no side effect (e.g., precondition check, no-op)
- Spelling/case discrepancies where there is no ambiguity*
- Local variable not declared provided other variables are declared in some part
- Keyword used as an identifier
- Common mathematical symbols used for operators ($x \bullet \div \leq \geq < > \neq$)
- = instead of == and vice versa
- Missing { } where indentation clearly conveys intent
- Missing () around *if* conditions

** Spelling and case discrepancies for identifiers fall under the "No Penalty" category only if the correction can be unambiguously inferred from context; for example, "total" instead of "totl". As a counterexample, that if the code declares "int G=99, g=0; ", then uses "while (G < 10) " instead of "while (g < 10) ", the context does not allow for the reader to assume the use of the lower-case variable.*

if – APLine FRQ

An *APLine* is a line be defined by the equation $ax + by + c = 0$. where a is not equal to zero, b is not equal to zero, and a , b , and c are all *ints*. The slope of an *APLine* is defined to be the *double* value $-a/b$. A point (represented by integers x and y) is on an *APLine* if the equation of an *APLine* is satisfied when those x and y values are substituted into the equation. That is, a point represented by x and y is on the line if $ax + by + c$ is equal to 0. Examples of *APLine* equations are shown in the following table.

Equation	Slope ($-a / b$)	Is point (5, -2) on the line?
$5x + 4y - 17 = 0$	$-5/4 = -1.25$	Yes, because $5(5) + 4(-2) + (-17) = 0$
$-25x + 40y + 30 = 0$	$25/40 = 0.625$	No, because $-25(5) + 40(-2) + 30 \neq 0$

Write code segments that will print:

(a) The slope of an *APLine* defined by the equation $ax + by + c = 0$.

(b) The *boolean* value *true* if the point (x , y) is on the same *APLine*, as in part (a) above, defined by the equation $ax + by + c = 0$, the *boolean* value *false* otherwise.